## Benchmark 1 Review

1. What would the coordinate be for the point (3, -2) after if is reflected over y=x and the translated  $(x, y) \rightarrow (x-3, y+1)$ ?

2. If the image coordinate for a rotation of 90 CCW about the origin is G'(-4,7) what is the preimage coordinate?

3. What quadrant the following figure end up in after a rotation of  $270^{\circ}$  CCW about the origin, then a reflection over x=-1, then translate up 6?



4. How could you map QRST to JKLM if Q(-1,2) R(-1,5) S(4,5) T(4,2) and J(3,-1) K(0,-1) L(0,4), and T(3,4).

5. Determine how EFGH could be mapped onto TRAP.



6. Determine if the following triangles are congruent.



Verify that  $\Delta PQR \sim \Delta SQT$ .



- a.  $\angle Q \cong \angle Q$  by the Reflexive Property of Congruence.  $\frac{QS}{QP} = \frac{QT}{QR} = \frac{3}{5}$  $\Delta PQR \sim \Delta SQT$  by SAS Similarity.
- b.  $\angle P \cong \angle QST$  and  $\angle R \cong \angle QTS$  by the Corresponding Angles Postulate.  $\Delta PQR \sim \Delta SQT$  by AA Similarity.
- c.  $\angle P \cong \angle QTS$  and  $\angle R \cong \angle QST$  by the Alternate Interior Angles Theorem.  $\Delta PQR \sim \Delta SQT$  by AA Similarity.
- d.  $\angle Q \cong \angle Q$  by the Reflexive Property of Congruence.  $\frac{PS}{QP} = \frac{QT}{QR} = \frac{2}{5}$  $\Delta PQR \sim \Delta SQT$  by SAS Similarity.

## 8.

A tree is standing next to a 40-foot high building. The tree has an 18-foot shadow, while the building has a 16-foot shadow. How tall is the tree, rounded to the nearest foot?

- a. 45 feet
- b. 36 feet
- c. 42 feet
- d. 7 feet
- 9. Two polygons are similar then their corresponding angles are
  - A. not equal
  - B. Equal
  - C. congruent
  - D. none of above

10. As shown on the graph below,  $\Delta R'S'T'$  is the image of  $\Delta RST$  under a single transformation.



Which transformation does this graph represent?

- 1) glide reflection
- 2) line reflection
- 3) rotation
- 4) translation

11. Explain why  $\triangle ABC \sim \triangle DBE$  and then find BC.





The coordinates of point A are (-3a, 4b). If point A' is the image of point A reflected over the line y = x, the coordinates of A' are

- 1) (4*b*, -3*a*)
- 2) (3a,4b)
- 3) (-3*a*, -4*b*)
- (-4b, -3a)

 In the diagram below, △A'B'C' is a transformation of △ABC, and △A"B"C" is a transformation of △A'B'C'.



The composite transformation of  $\triangle ABC$  to  $\triangle A''B''C''$  is an example of a

- 1) reflection followed by a rotation
- 2) reflection followed by a translation
- 3) translation followed by a rotation
- 4) translation followed by a reflection





A	(3,2)
B	(2,3)
С	(3,1)
D	(4,2)

## STUDYUNIT 1 VOCABULARY WORDS

Angle – A figure formed by two rays with a common endpoint.

Circle – The set of points in a plane that are a fixed distance from a given point called the center of the circle.

Perpendicular lines – Lines that intersect at 90 degree angles.

Parallel Line – Lines in the same plane that do not intersect.

Line Segment – A straight line which links two points without extending beyond them.

Point –A specific location in space, often represented by a dot.

Line – A straight pathway that is endless in both directions, has no thickness, and is comprised of points.

Ray – A part of a line that starts at endpoint and extends forever in one direction.

Image - The figure after a transformation has occured.

Transformation - a change in the position, size, or shape of a figure. A transformation maps the preimage to the image.

Rigid Motion - A transformation of the plane or space, which preserves distance and angles. (AKA Isometry)

Translation - a transformation in which all the points of a figure move the same distance in the same direction.

Rotation - A transformation about a point P, such that each point and its image are the same distance from P.

Reflection - A transformation across a line, called the line of reflection. Each point and its image are the same distance from the line of reflection.

Dilation - A transformation that changes the size of a figure but not its shape.

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